

PHYS 1211, QUIZ 4, October 6, 2017

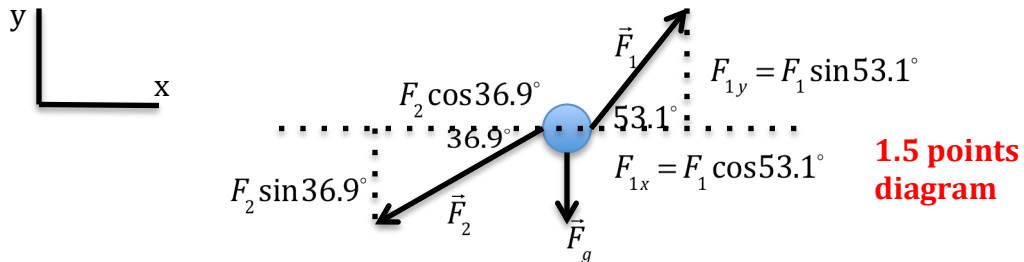
NAME:

ID:

A 0.5 kg **ball**, in the **air**, is being pulled by two birds. **Bird number 1** is pulling the **ball rightward** with a force of magnitude, $F_1 = 8N$, at an angle 53.1° **above** the **horizontal**.

Bird number 2 is pulling the ball **leftward** with a force of magnitude, $F_2 = 10N$, at an angle 36.9° **below** the **horizontal**.

- A) In the coordinate system below, **right** is defined as **+x**, and **up** is defined as **+y**. Draw a **free body diagram** (FBD) of **all** the **forces** acting on the ball. Express the **three forces** on the **ball** in **unit vector form**.



Force	x-component	y-component	Unit Vector Form	
Bird 1,	$F_{1x} = 8N \cos 53.1 = 4.8N$	$F_{1y} = 8N \sin 53.1 = 6.4N$	$\vec{F}_1 = F_{1x} \hat{i} + F_{1y} \hat{j} = 4.8N \hat{i} + 6.4N \hat{j}$	1.5 points
Bird 2,	$F_{2x} = -10N \cos 36.9 = -8N$	$F_{2y} = -10N \sin 36.9 = -6N$	$\vec{F}_2 = -8N \hat{i} - 6N \hat{j}$	1.5 points
Gravity	$F_{gx} = 0$,	$F_{gy} = -mg = -0.5kg \times 9.8 \frac{m}{s^2} = -4.9N$,	$\vec{F}_g = -4.9N \hat{j}$	1.5 point

- B) Find the **net force**, $\vec{F}^{Net} =$ vector sum of three forces on ball. Use **Newton's second law** to find the **acceleration**, \vec{a} . Express \vec{a} in **unit vector form**. Draw the **direction** of \vec{a} wrt the ground. If the bird does not stop pulling, will the ball eventually hit the ground? Justify your answer.

Net Force: $\vec{F}^{NET} = \vec{F}_1 + \vec{F}_2 + \vec{F}_g$.

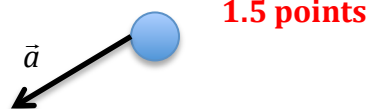
x-component: $F_x^{NET} = F_{1x} + F_{2x} + F_{gx} = 4.8N - 8N + 0 = -3.2N$. **1 point**

y-component: $F_y^{NET} = F_{1y} + F_{2y} + F_{gy} = 6.4N - 6N - 4.9N = -4.5N$. **1 point**

Newton's 2nd Law: $\vec{F}^{NET} = m\vec{a}$

x-comp: $a_x = \frac{F_x^{NET}}{m} = \frac{-3.2N}{0.5kg} = -6.4 \frac{m}{s^2}$; **1.5 points** **y-comp:** $a_y = \frac{F_y^{NET}}{m} = \frac{-4.5N}{0.5kg} = -9.0 \frac{m}{s^2}$

$\vec{a} = (-6.4m \cdot s^2) \hat{i} + (-9.0m \cdot s^2) \hat{j}$.



It will eventually hit the ground since $a_y < 0$, eventually $v_y < 0$. **1 point**